## **ABSTRACT**

## FINITELY GENERATED SUPPLEMENTED MODULES

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Let M R-modul. N, L are submodules of M R-modul and X be a generating set of M. If X be a finitely set, then M is finitely generated modules. N is called supplement of L in M if N is minimal in the set of submodules

 $\{K \subset M | L + K = M\}$ , L + N = M and  $L \cap N \ll M$ . Supplemented modules is module that every submodule has supplement. In this research, we describe characterization of finitely generated supplemented modules. M is supplemented module if and only if every maximal submodule of M has a supplement in M, M is supplemented module if and only if M is  $sum\ of\ hollow$  submodules, and M is supplemented module if and only if M is an irredundant (finite)  $sum\ of\ local$  submodules.

**Keywords:** *module, finitely generator, supplemented modules.*